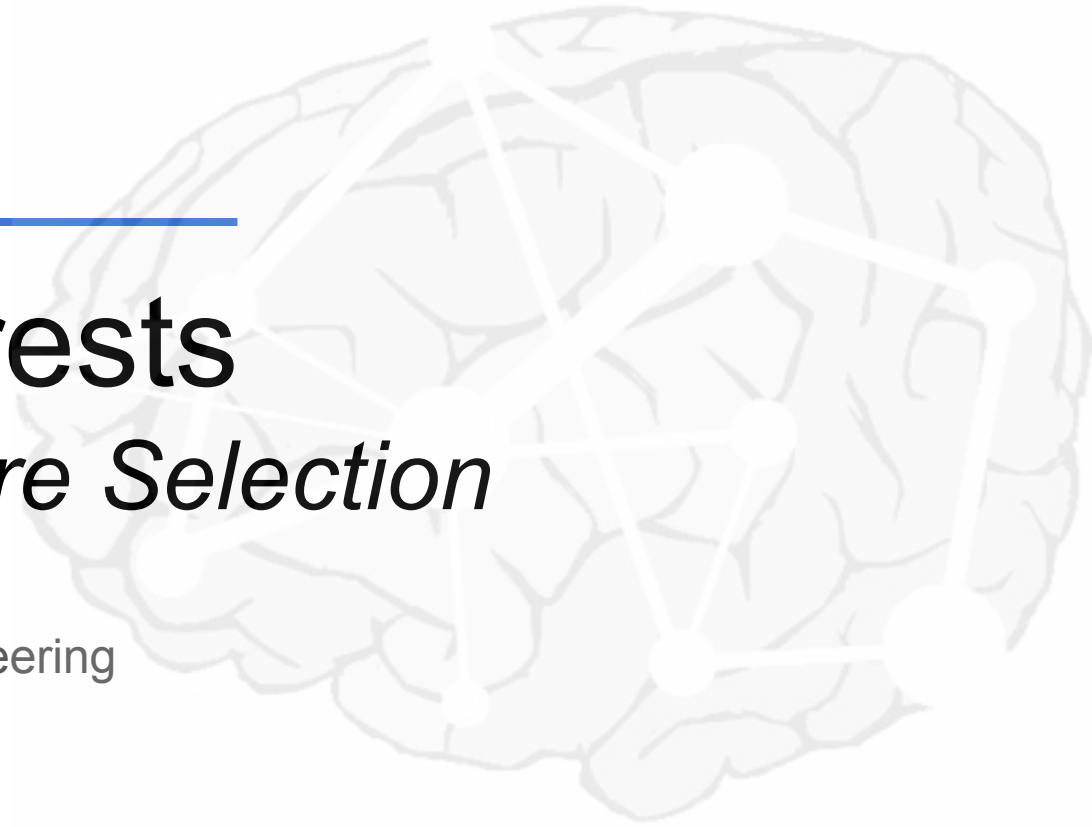

Random Forests

Improving Feature Selection

Ronan Perry

Department of Biomedical Engineering

Johns Hopkins University



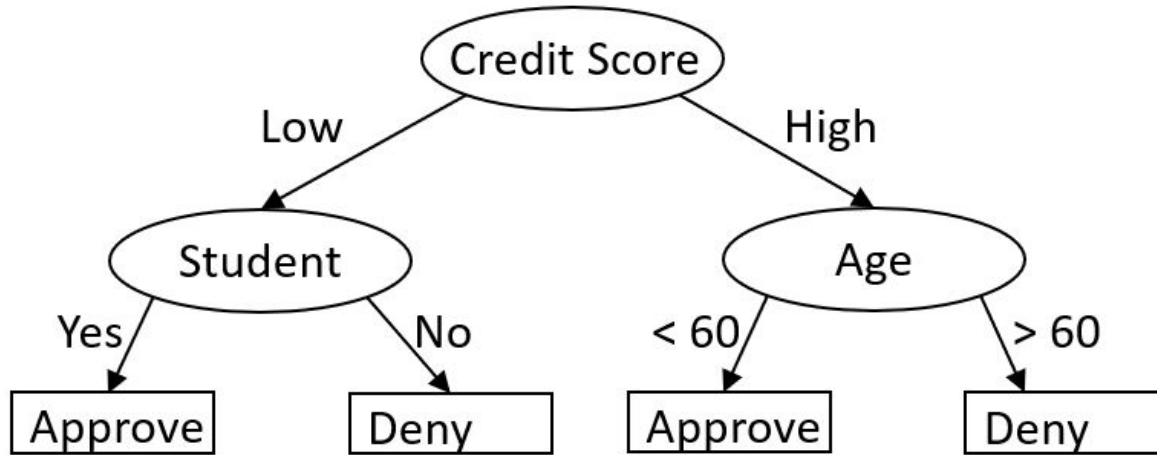
Overview

- A motivating problem
- Random Forests as a solution
- How decisions are learned
- How we can improve learning
- Why use Random Forests

Question: Should this loan request be approved?

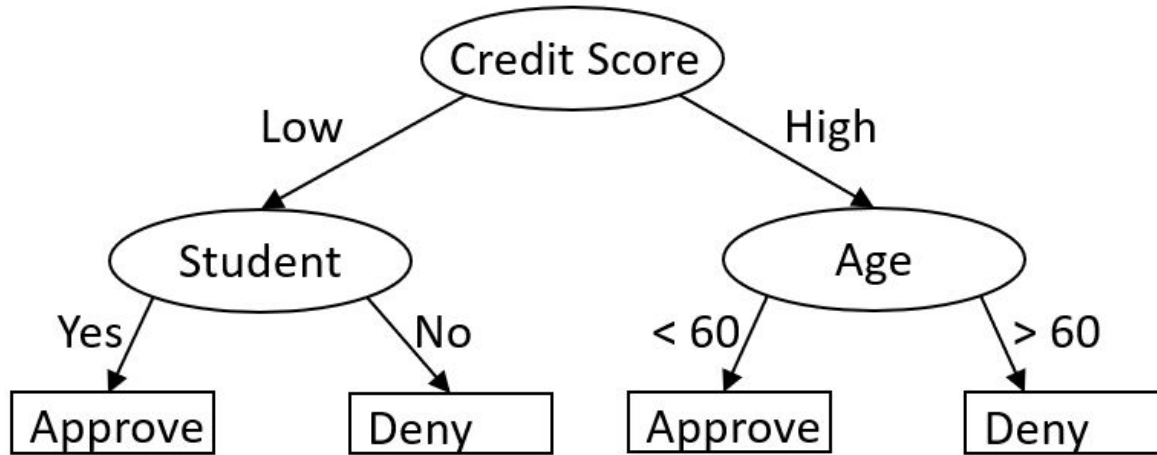
Question: Should this loan request be approved?

Possible Answer: Learn a Decision Tree



Question: Should this loan request be approved?

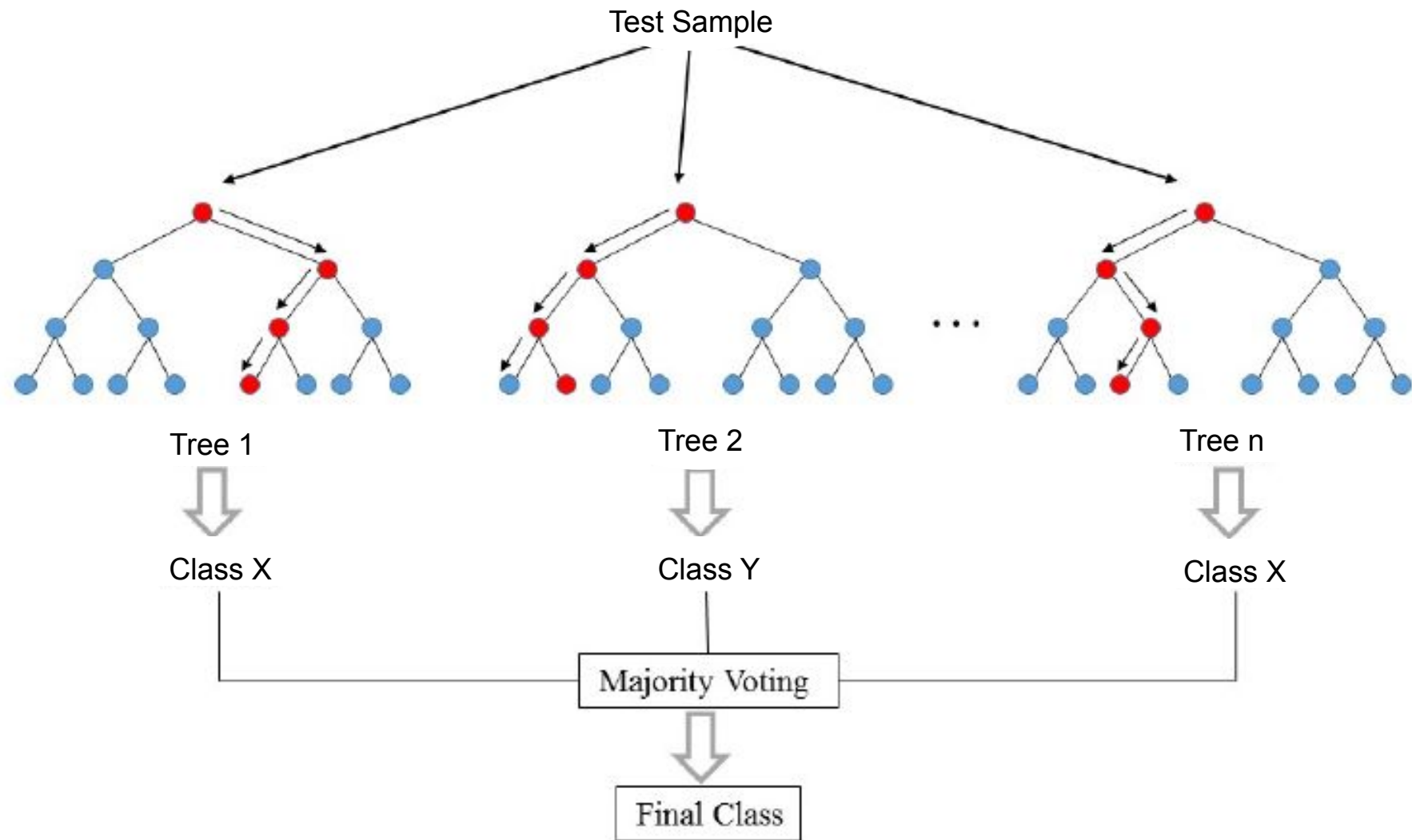
Possible Answer: Learn a Decision Tree



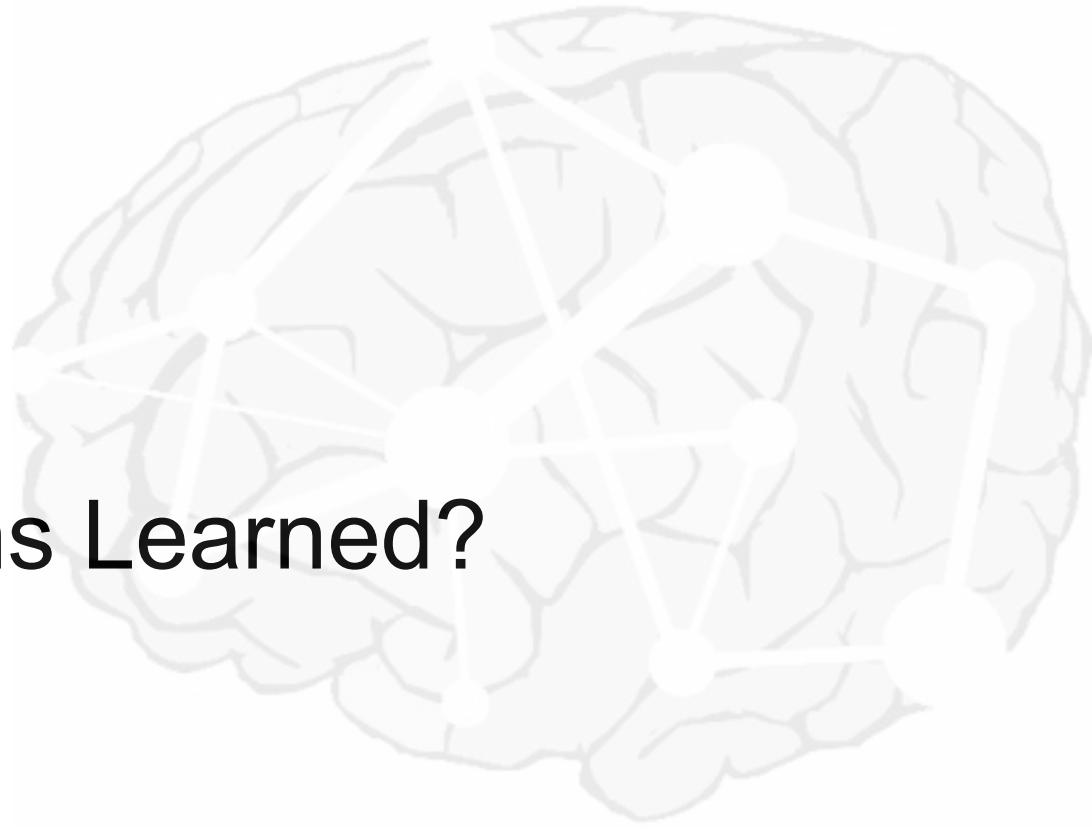
Problem: High variance

Random Forests

An **ensemble** of individual decision trees, each learned from a subset of the data, whose individual decisions are joined to make one final decision.

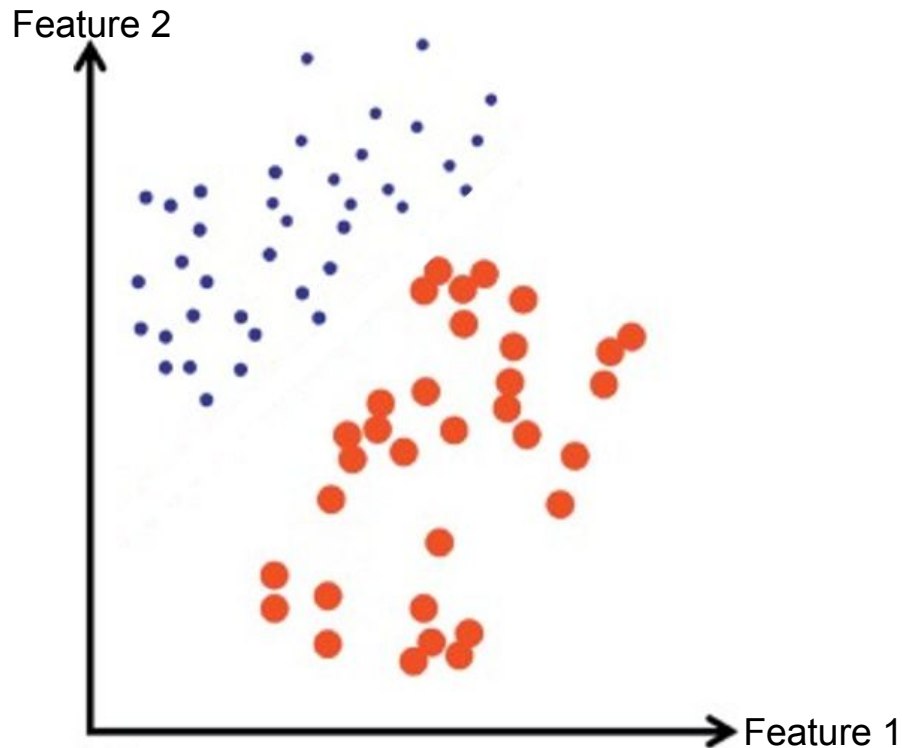


How are Decisions Learned?



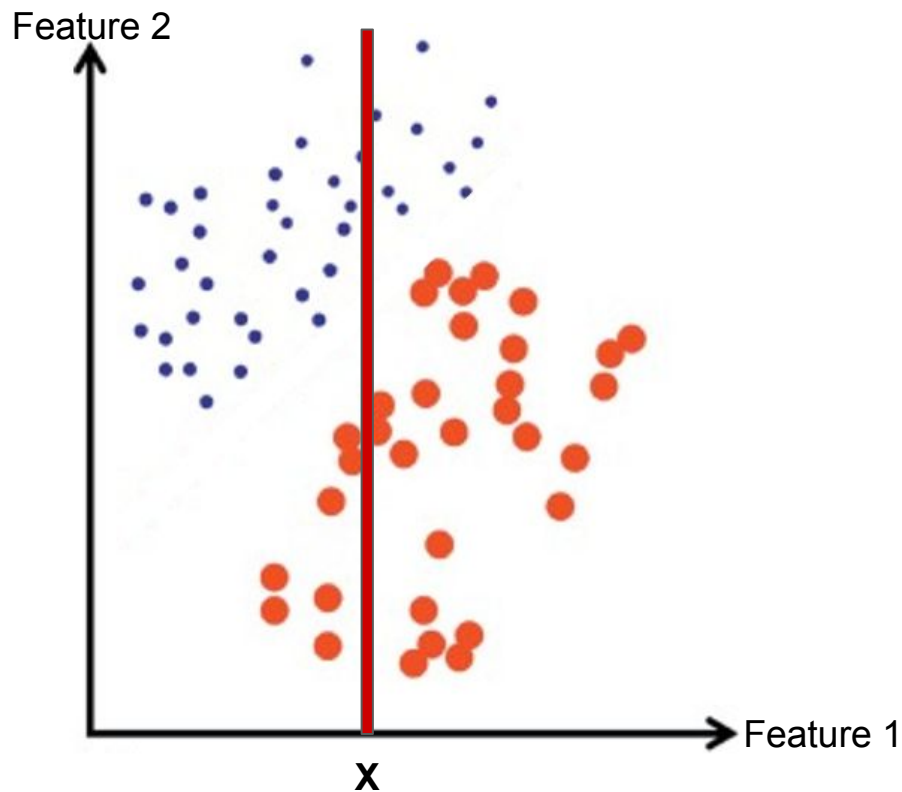
Axis-Aligned Splits

- At each split node in a tree:
 - Select a **single** feature (i.e. age)
 - Select a threshold (i.e. 60)



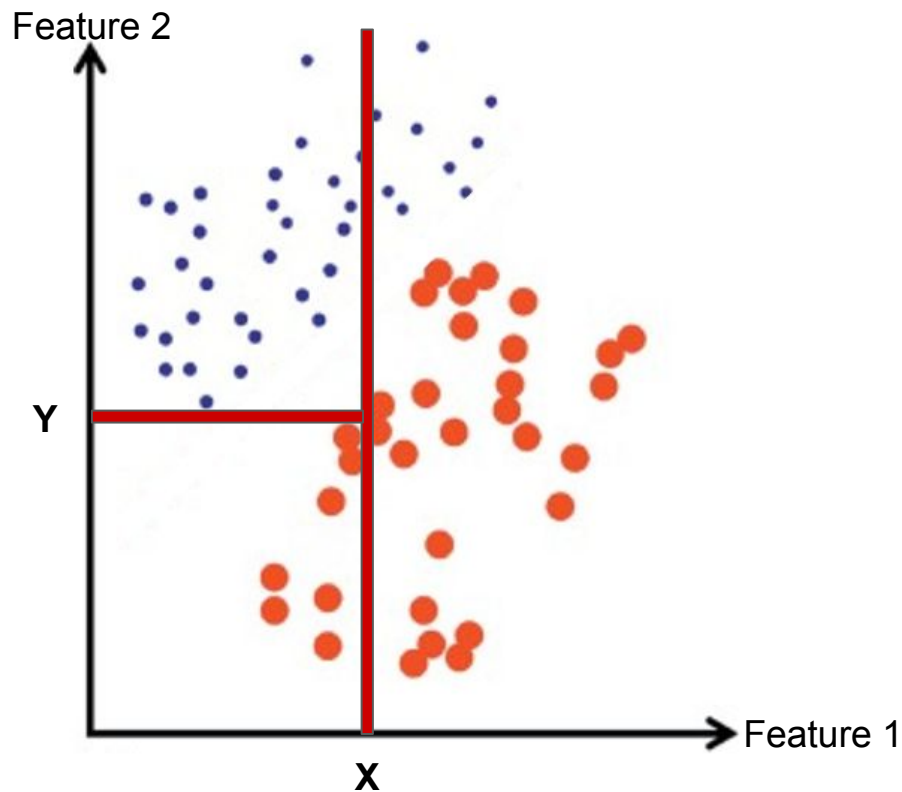
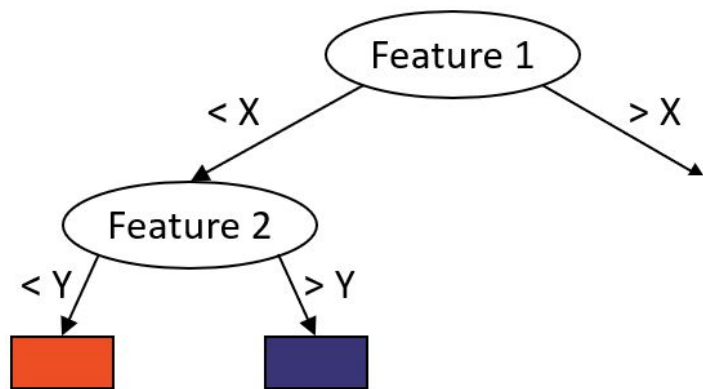
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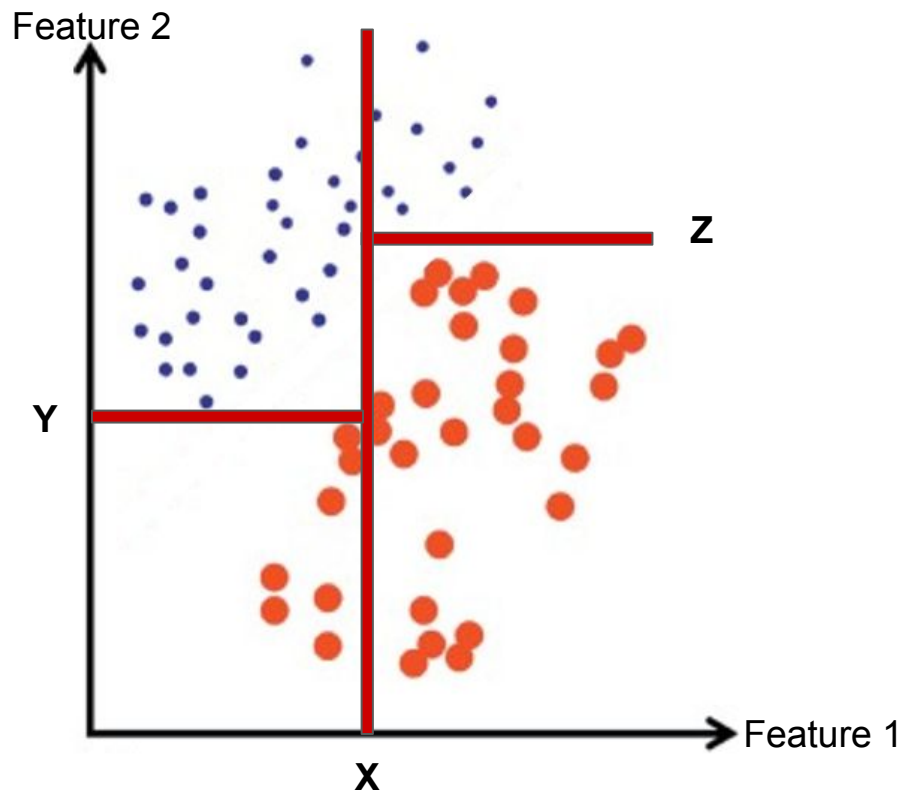
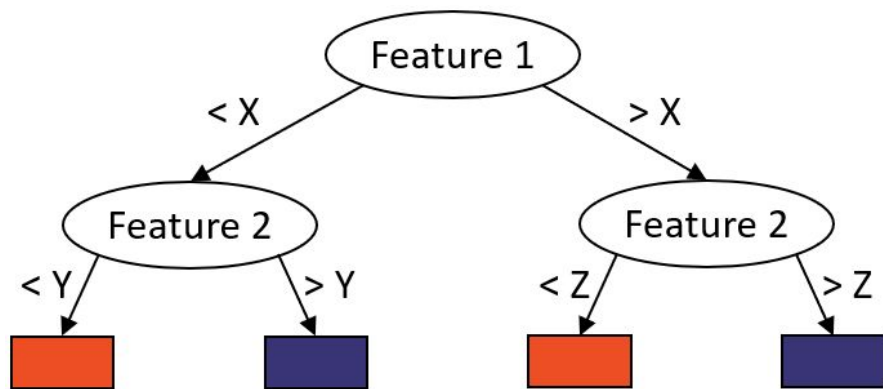
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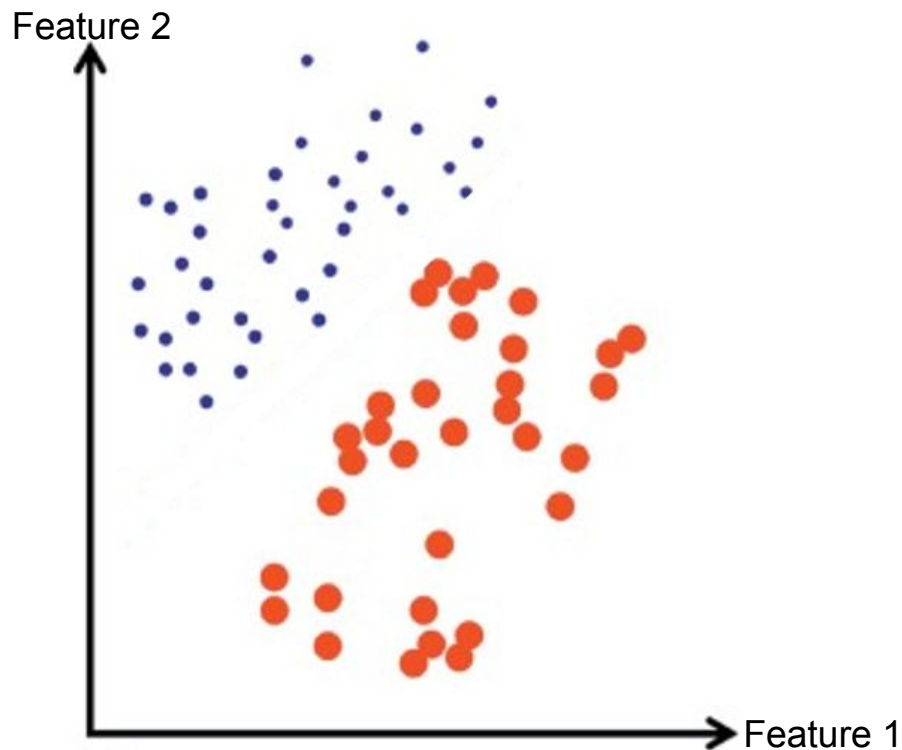
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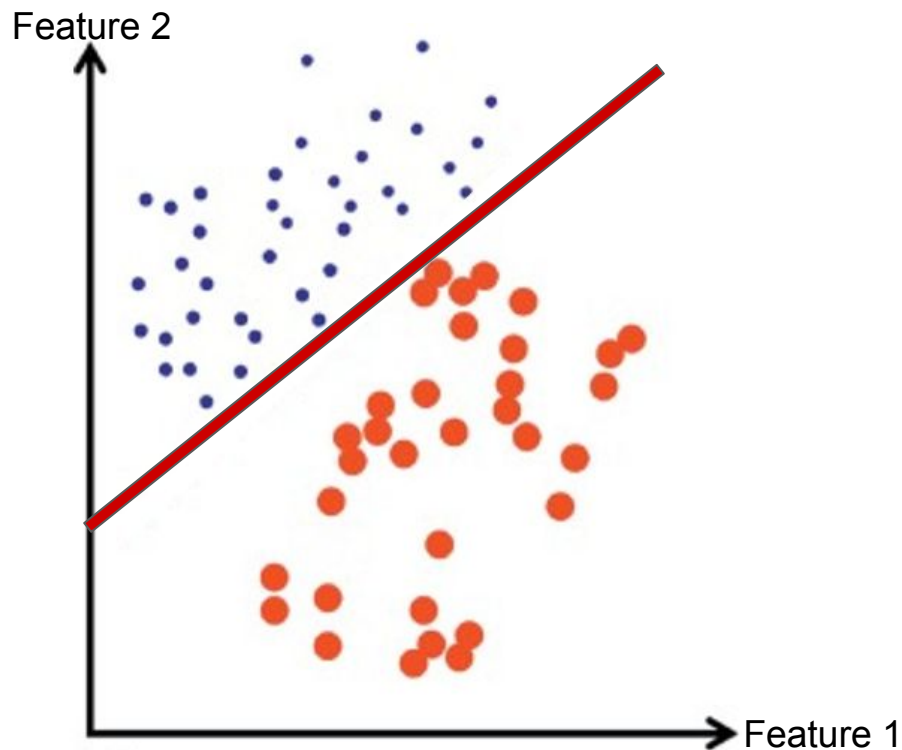
Axis-Aligned Alternative

- Oblique (angled) splits
 - Select a **combination** of features
 - Select a threshold



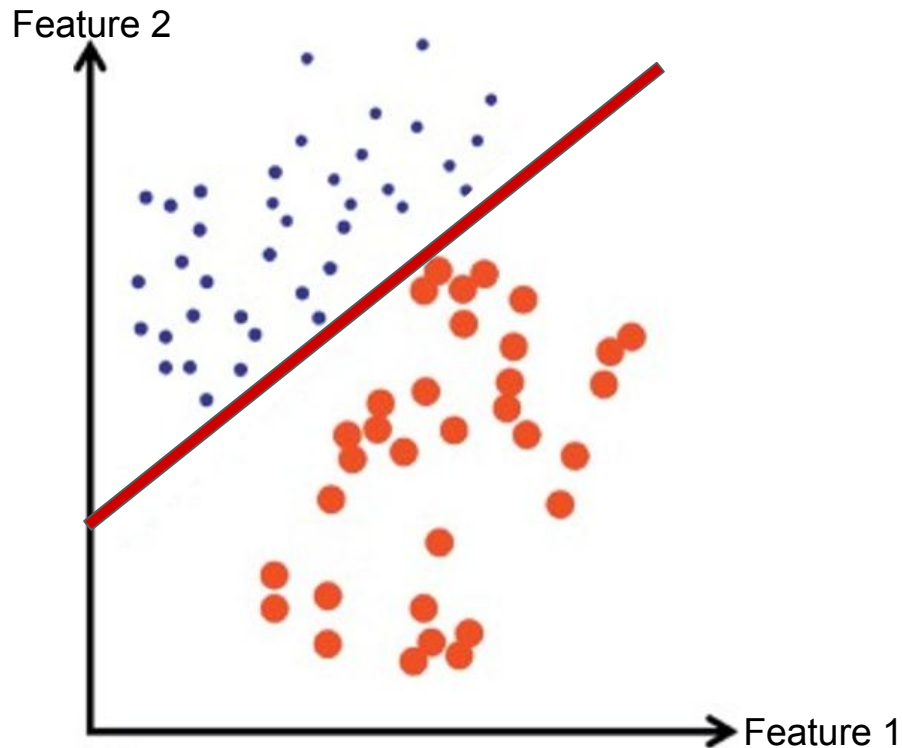
Axis-Aligned Alternative

- Oblique (angled) splits
 - Select a **combination** of features
 - Select a threshold



Axis-Aligned Alternative

- Oblique (angled) splits
 - Select a **combination** of features
 - Select a threshold
- Benefits:
 - Can identify more complex relationships
- Problem:
 - Can be computationally slow

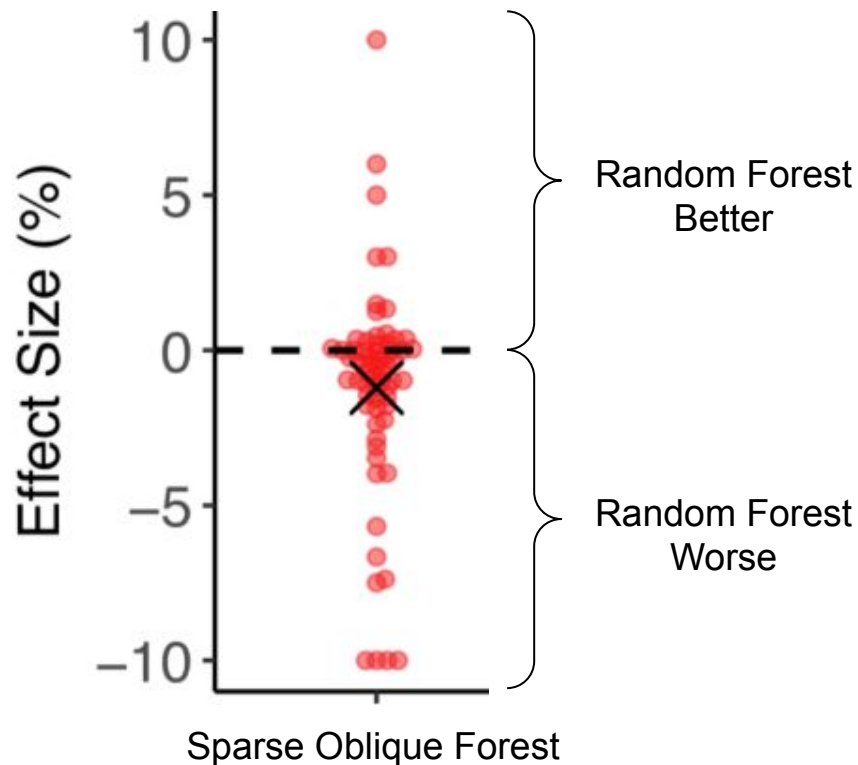


Sparse Oblique Splits

- A **sparse combination** of features

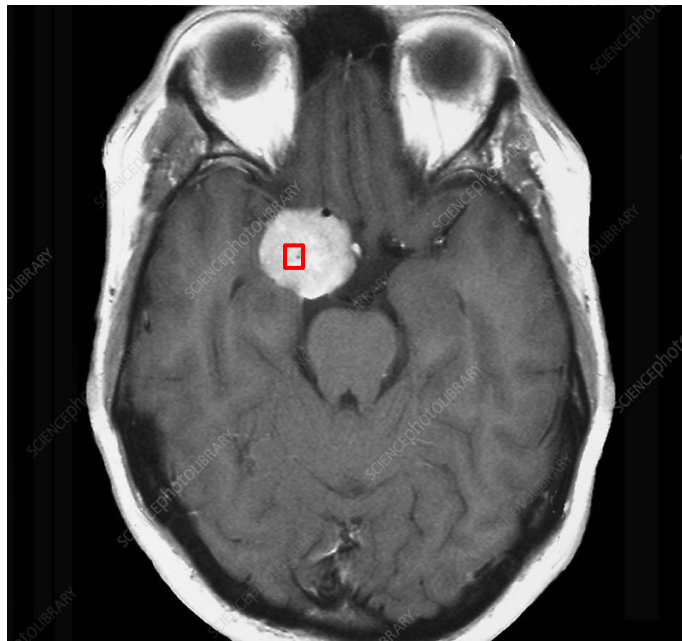
Sparse Oblique Splits

- A **sparse combination** of features
- Benefits
 - Increased signal to noise ratio
 - Faster computation
 - Improved accuracy in practice



Data with Feature Structure

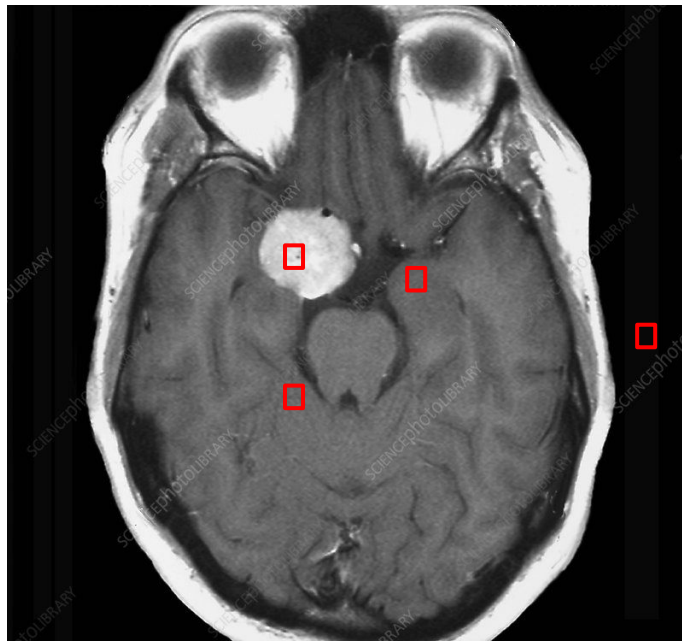
- In some data, **feature indices** matter
 - i.e. Images, time series, networks, etc.
- **Problem:** Random forests don't care



Random Forest Feature

Data with Feature Structure

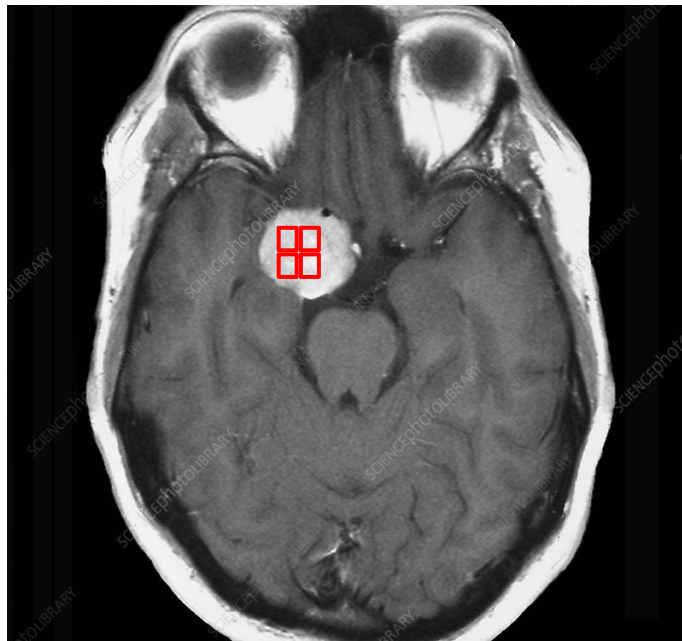
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Sparse Forest Features

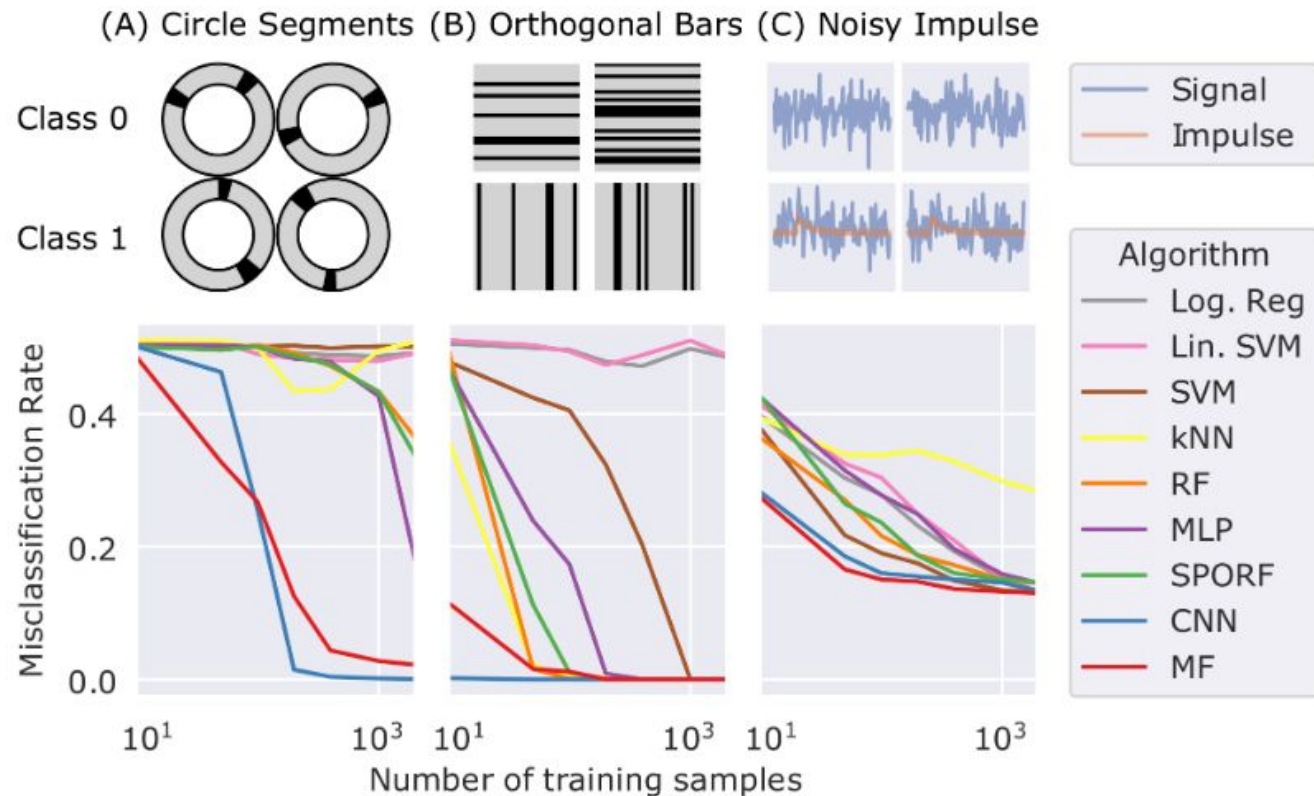
Data with Feature Structure

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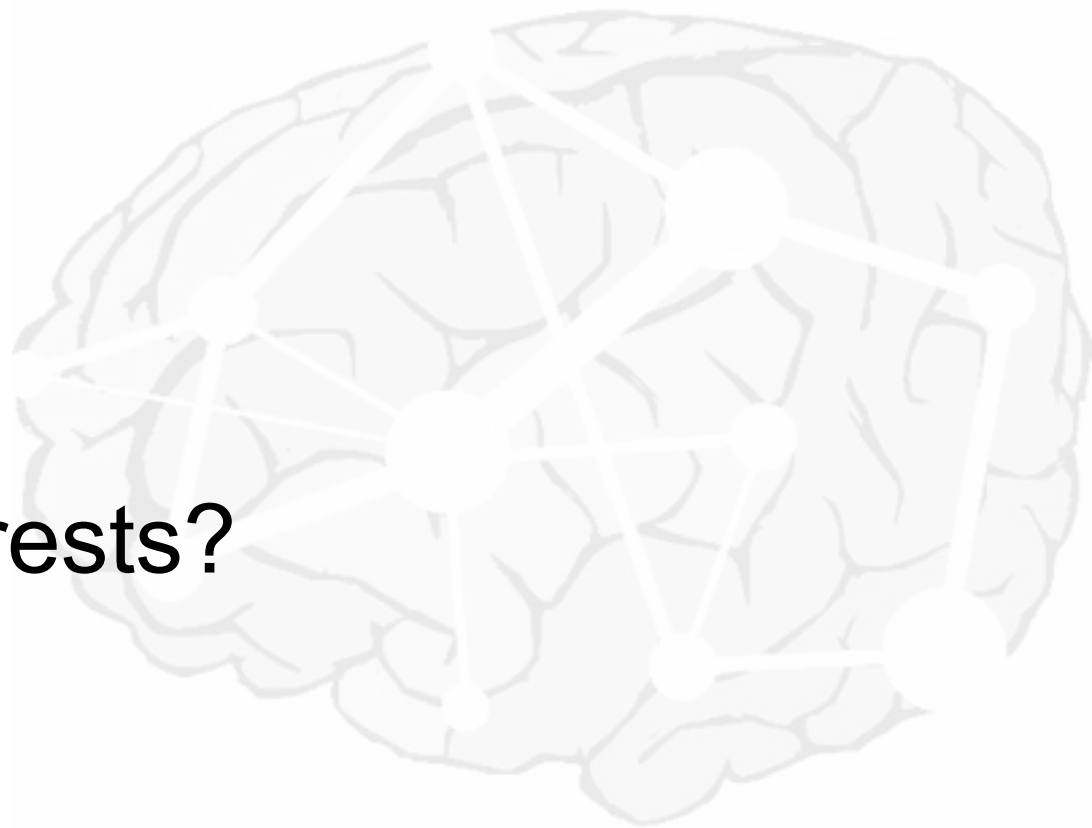


Structured Forest Features

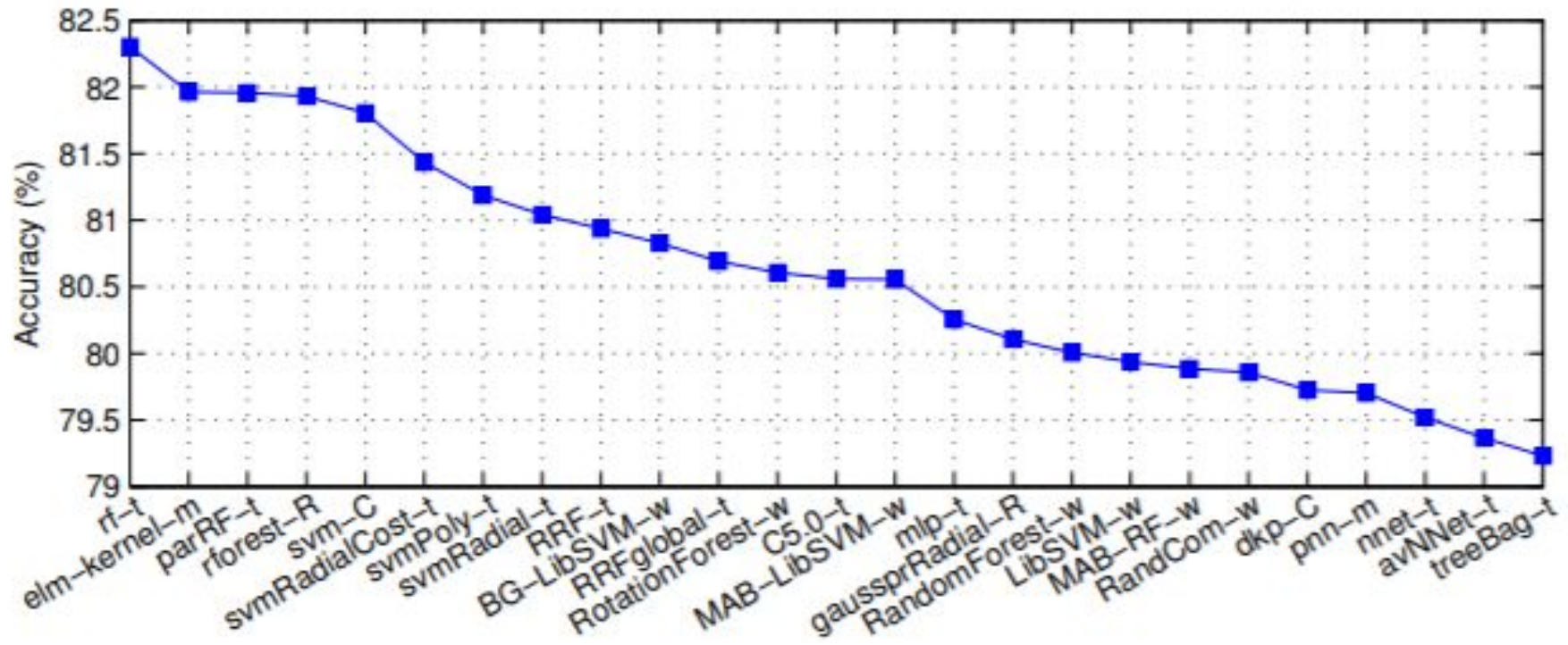
Structured Splits



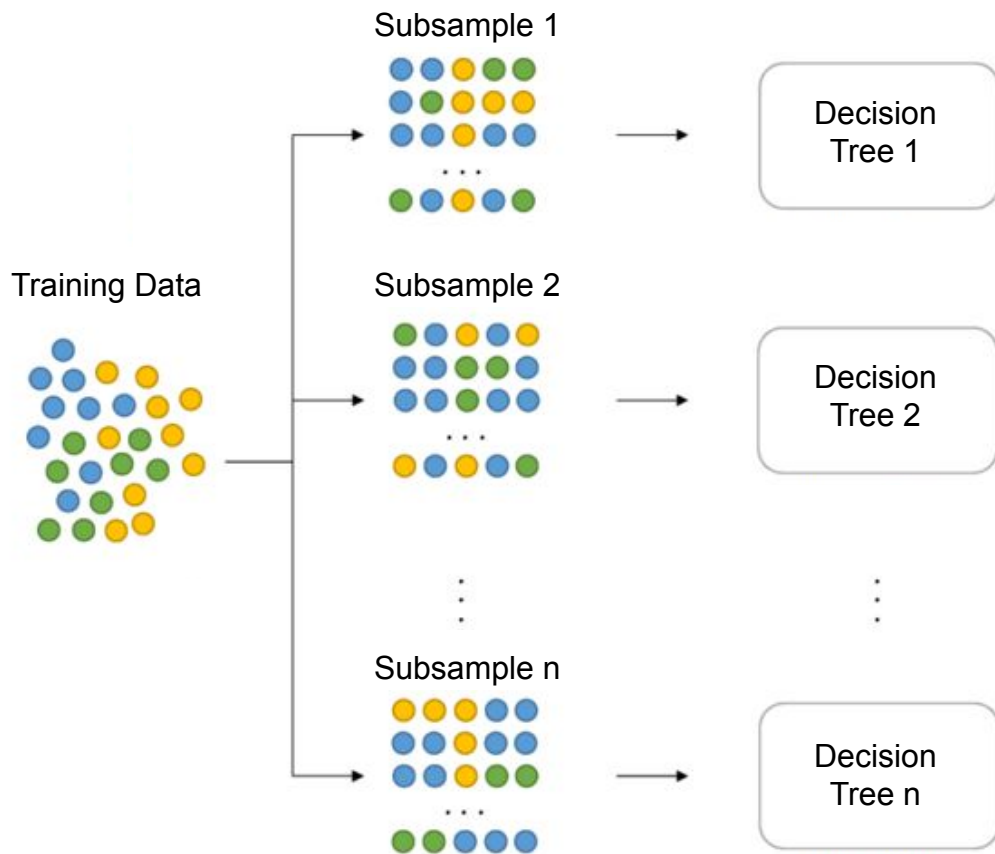
Why Random Forests?



Best average accuracy across hundreds of data sets

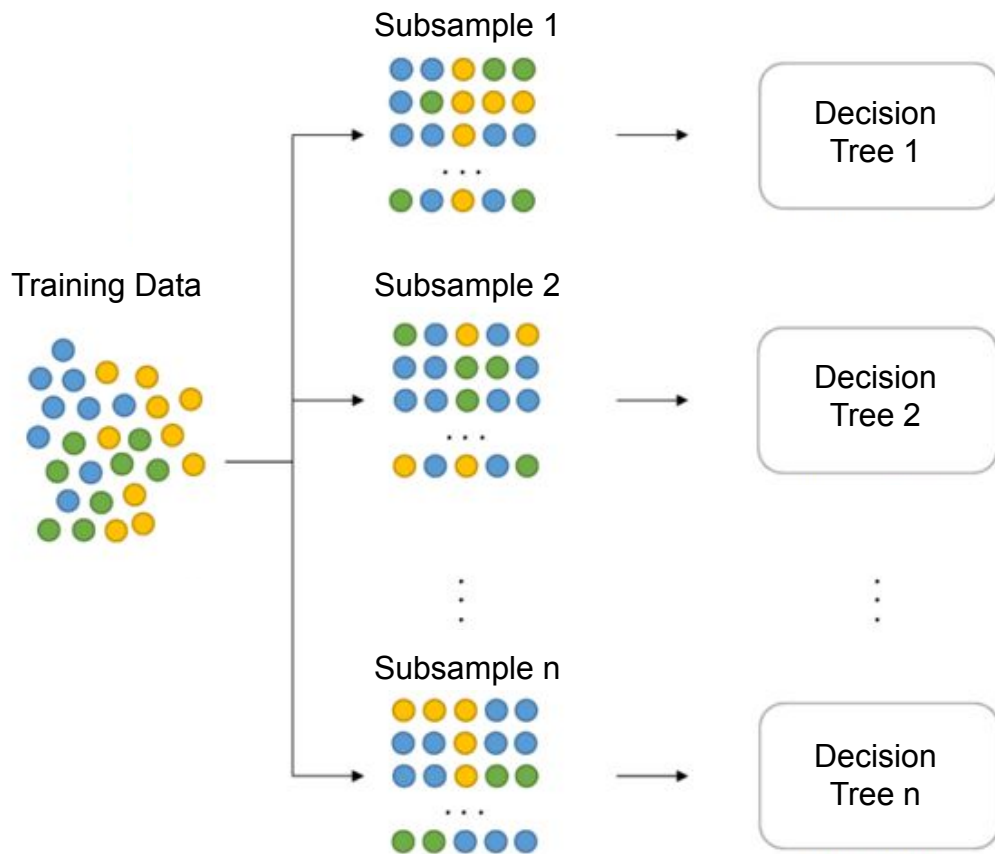


Bagging (subsampling)



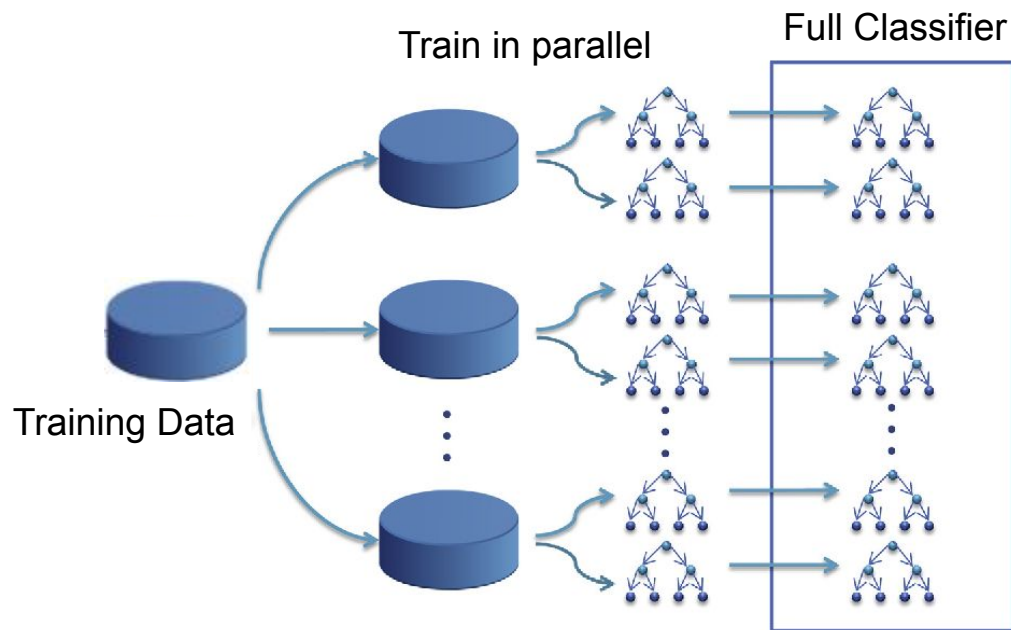
Bagging (subsampling)

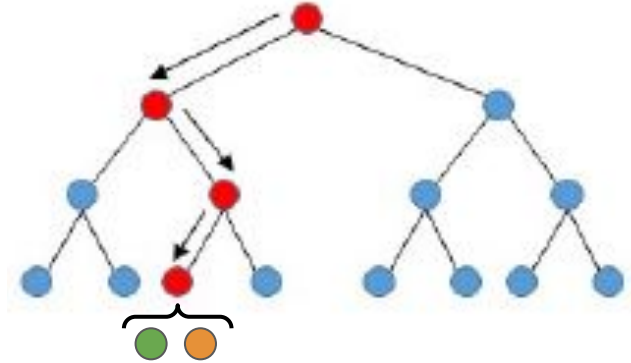
- Variance reduction
- Robustness to outliers
- No need for a test data set (out-of-bag error estimates)



Highly Parallelizable

Trees are trained **independently** of one another



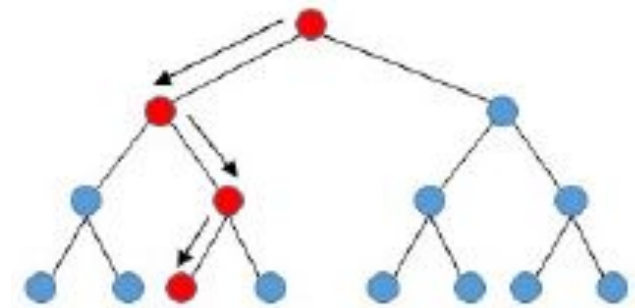




Yields a distance metric

- Applications

- Missing data imputation
- Outlier detection
- Low-dimensional representation



Conclusion

- Random forests are a well-performing algorithm
- Many possible learning modifications exist
- They are flexible in their uses

Acknowledgements



NEURODATA



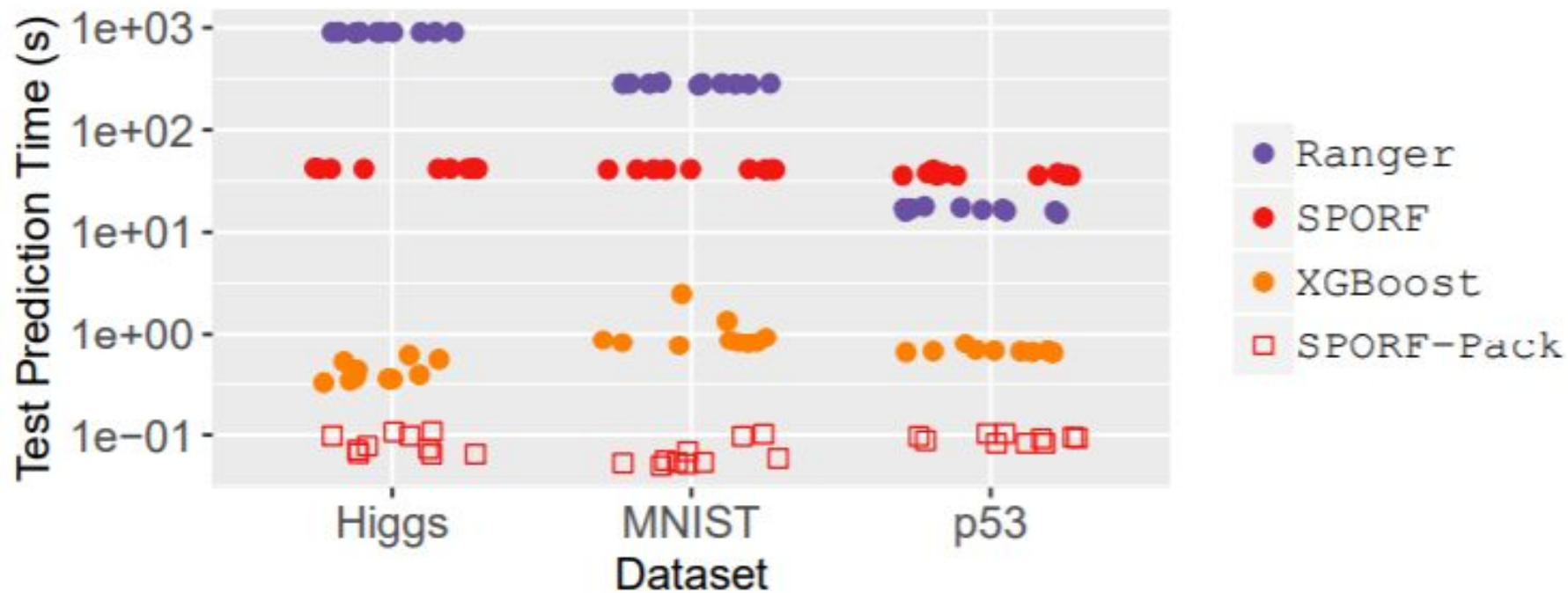
References

- Random Forests (Leo Breiman, Adele Cutler)
- Sparse Projection Oblique Randomer Forests (Tomita 2019)
- Manifold Forests: Closing the Gap on Neural Networks (Perry 2019)
- Do we Need Hundreds of Classifiers to Solve Real World Classification Problems? (Fernández-Delgado 2014)

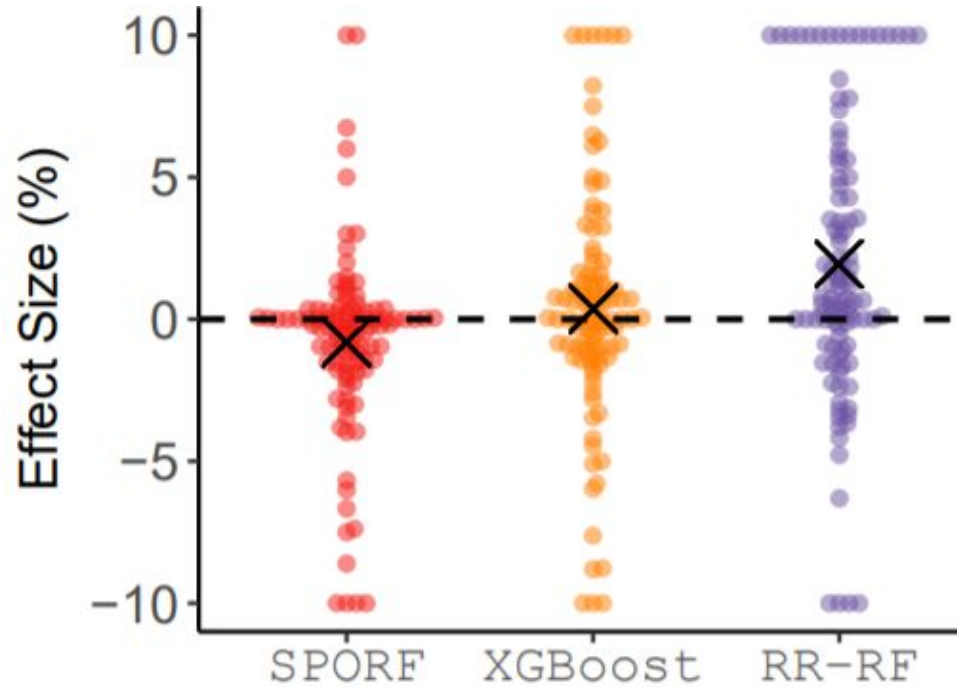
Extra Slides



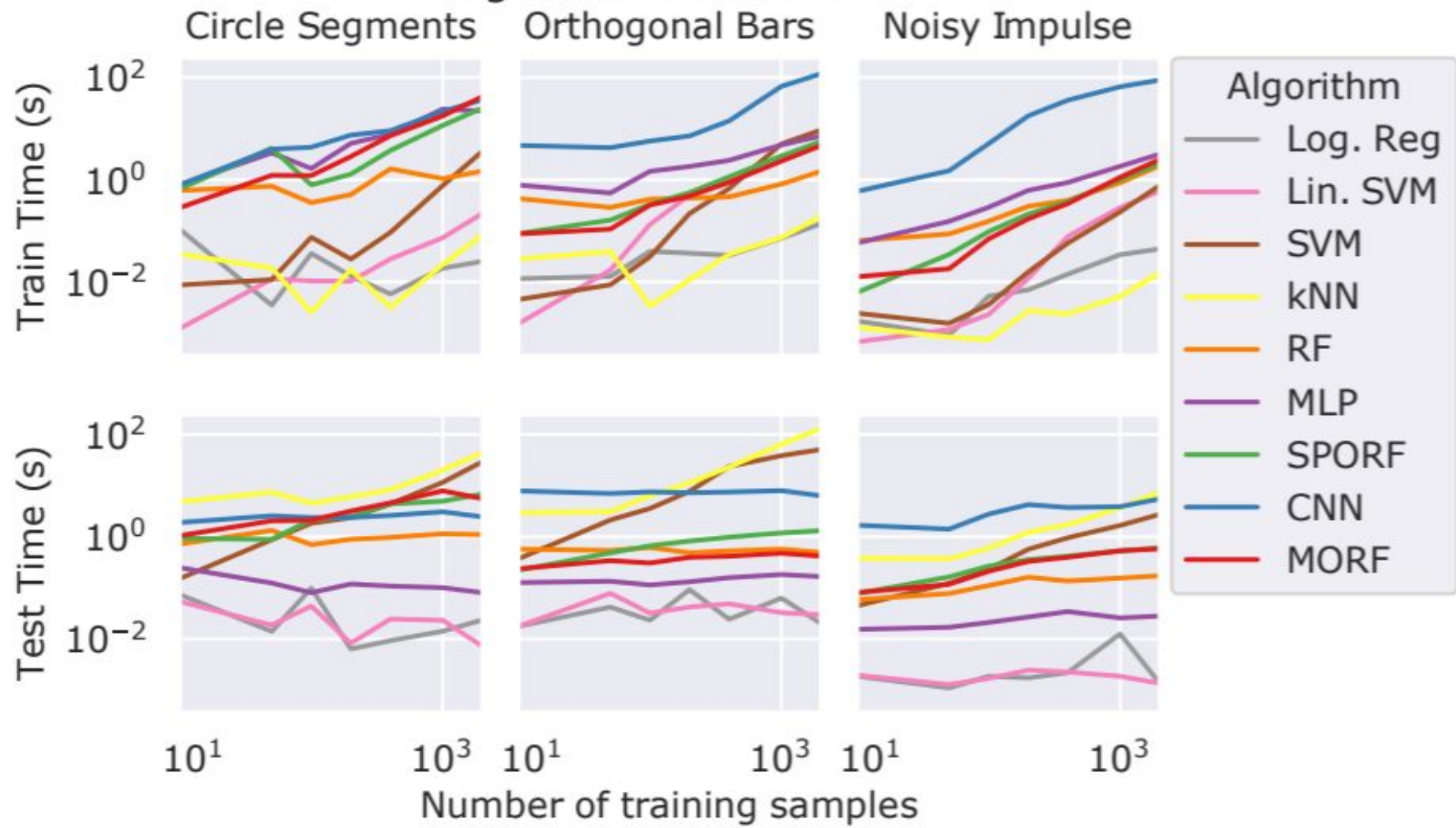
Forest Packing



Comparison to other Algorithms



Algorithm Runtimes



Single Feature Importance

- Select a feature
- Permute values in each sample at that feature
- Evaluate forest
- Evaluate difference in accuracy

Gini Importance

Change in information

- Probability of class k in a partition $\hat{p}_k = \frac{1}{|S|} \sum_{y_i \in S} \mathbb{I}[y_i = k]$

- Information in the partition S
$$I(S) = \sum_{k=1}^K \hat{p}_k (1 - \hat{p}_k)$$

- Maximum purity of a split
$$\theta^* = \operatorname{argmax}_{\theta} |S|I(S) - |S_{\theta}^L|I(S_{\theta}^L) - |S_{\theta}^R|I(S_{\theta}^R).$$